From the Editor's Desk

Season’s greetings.

Fellows of the INAE are the leaders and trailblazers for the nation’s development. The Fellowship of the Academy has important implications and responsibilities. It is necessary that this fact is recognized by the nation, and more importantly, by the Fellows of the Academy.

As you would know, the Indian National Academy of Engineering (INAE) has launched INAE Letters, a quarterly journal, to provide a medium for rapid publication of new research, and invited review articles across different domains of Engineering and Technology. It is managed by a group of distinguished editors from various engineering disciplines. It is now in operation for the past two years.

We look forward to your support in this important endeavour of INAE.

We are so involved with our daily routine that we often find little or no time for many other things. We don’t mind giving them a miss, thinking them to be of not much use, and therefore, not worth taking the trouble. Perhaps, these ‘other things’ can make a big difference to our everyday life.

We look forward to your suggestions and support in the continuation and conduct of various activities of INAE.

Abdul Kalam Technology Innovation National Fellowship

INAE and DST have taken an initiative to institutionalize the Abdul Kalam Technology Innovation National Fellowship to outstanding engineers to recognize, encourage and support translational research by individuals to achieve excellence in engineering, innovation and technology development. All areas of engineering, innovation and technology are covered by the fellowship. A maximum of 10 Fellowships will be awarded per year. A meeting of the search committee was held on Sept 25, 2017 at INAE Office, Gurgaon to select the first cut of nominations received for the Fellowship. The names of the awardees of the subject fellowship will be announced shortly during a function being organized by Department of Science and Technology (DST), Government of India.

The launch of the Fellowship was covered by Rajat Satya TV in the Science Monitor and Gran Vigyan programmes during which Dr. R. Balakrishnan, President, INAE and Prof. Suresh Muralidharan, Vice-President, INAE were interviewed. The Science Monitor and Gran Vigyan programmes may be viewed at the links given below.

https://www.youtube.com/watch?v=FyOP9yDRM9g

https://www.youtube.com/watch?v=AZNhDB9N6D

INAE Annual Convention 2017

The Annual Convention of the Academy will be held on December 15-16, 2017 at TCS SIPCOT IT Park, Chennai, followed by a local excursion to Thanjavur. INAE Fellows, other interested INAE Fellows and associated to the Indian National Academy of Engineering (INAE) were interviewed. The Science Monitor and Gran Vigyan programmes may be viewed at the links given below.

https://www.youtube.com/watch?v=ODo7uyDRM9g

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Purnendu Ghosh
Chief Editor of Publications
ACADEMY ACTIVITIES

From the Editor's Desk

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The launch of the Fellowship was covered by Rajya Sabha TV in the Science Monitor and Gyan Vigyan programmes during which Dr BN Suresh, President, INAE and Prof Indranil Manna, Vice-President, INAE were interviewed. The Science Monitor and Gyan Vigyan programmes may be viewed at the links given below

https://www.youtube.com/watch?v=O1pAjyDPlGg

https://www.youtube.com/watch?v=A7IldDBB6e0

INAE Annual Convention 2017
The Annual Convention of the Academy will be held on December 15-16, 2017 at TCS, SIPCOT IT Park, Siruseri, Chennai, followed by a local excursion to Mahabalipuram on December 17, 2017 for all interested INAE Fellows. In addition, a Cultural Programme followed by the Annual Fellows Dinner will be organized on December 15, 2017.

TCS SIPCOT Building

The highlights of the Annual Convention are as under.

(i)  Inauguration by Mr. N Chandrasekaran, FNAE, Chairman, Tata Sons.

(ii) Two Plenary Talks by eminent personalities.
(iii) Industry Session in which the winners of the INAE Innovator Entrepreneur Award 2017 will make a presentation on the innovations for which they have been awarded.

(iv) Technical Sessions in which newly elected Fellows (whose Fellowship is effective from Nov 1, 2017) and INAE Young Engineer Awardees 2017 will be making presentations relating to their own significant engineering contributions.

(v) The Grand Awards Function in the afternoon of December 15, 2017 wherein Innovative Student Projects Awards, Innovator Entrepreneur Award, Young Engineer Awards, Prof. Jai Krishna and Prof. SN Mitra Memorial Awards, Outstanding Teachers Awards and the Life Time Contribution Awards in Engineering will be presented by the President, INAE.

(vi) The Annual General Meeting of Fellows of the Academy in the morning of Dec 16, 2017 including Induction Ceremony.

(vii) Meetings of INAE Forums on the sidelines of the Annual Convention.

All INAE Fellows and Young Associates have been invited to participate in the Annual Convention. An invite has also been sent by TCS to the Fellows for attending the event. The participation of maximum INAE Fellows and Young Associates in the Annual Convention is looked forward to.

**Annals of INAE**

The soft copy of the Annals of the INAE Volume XIV, April 2017 containing the text of the lectures delivered by Life Time Contribution Awardees; newly elected Fellows of the Academy and INAE Young Engineer Awardees 2016 has been uploaded on INAE website under the Publications subhead. The same can be downloaded from the link given below

http://inae.in/ebook/inae-annals-2017/

**INAE on Facebook and Twitter**

INAE has created a Facebook and twitter Account to post the news of recent INAE activities in the Social Media. The same can be viewed at the link below.

(a) Facebook - link https://www.facebook.com/pages/Indian-National-Academy-of-Engineering/714509531987607?ref=hl

(b) Twitter handle link https://twitter.com/inaehq1

All INAE Fellows are requested to visit and follow the above to increase the visibility of INAE in Social media.

**Important Meetings held during October 2017**

- Meeting of Experts Chaired by Dr BN Suresh, President, INAE to discuss Recommendations of INAE to be submitted to the Committee constituted by the Govt. of India for drafting National Education Policy 2017 held on Oct 4, 2017 at INAE Office, Gurgaon
• Meeting to present the recommendations from INAE to the Committee constituted by the Govt. of India for drafting National Education Policy with Dr K Kasturirangan, FNAE, as Chairman, held on Oct 7, 2017 at Bangalore

• Apex Committee Meeting Chaired by Dr BN Suresh, President, INAE held on Oct 11, 2017 at INAE Office, Gurgaon

International Conferences/Seminars being organized by IITs/other Institutions
To view a list of International Conferences/Seminars being held in the month of November 2017 click here

Honours and Awards

1. Prof Prem Vrat, FNAE, Pro-Chancellor; Professor of Eminence and Chief Mentor, The NorthCap University, Gurgaon and Formerly: Director, IIT Roorkee; Director In-charge, IIT Delhi; Vice Chancellor, UPTU, Lucknow and Vice Chancellor, ITM University, Gurgaon was conferred the Life Time Achievement Award of the Indian Institution of Industrial Engineering (IIIE) at the 59th National Convention of IIIE held at Aurangabad (Maharashtra) on the 14th September, 2017.

News of Fellows

1. Dr S Venkata Mohan, FNAE, Principal Scientist, Bioengineering and Environmental Sciences Lab, EEFF Department, CSIR-Indian Institute of Chemical Technology (CSIR-IICT), Hyderabad and his team have recently commissioned and successfully operated a biohydrogen pilot plant at CSIR-IICT, Hyderabad integrated with waste biorefinery facility. The Biohydrogen Pilot Plant video may be viewed at the link given below https://youtu.be/Eve2ddj9PCY

International Conference on Applied Sciences, Engineering, Technology and Management (ICASETM-17) on November 2-3, 2017 at Hyderabad
https://conferencealerts.com/show-event?id=191720

2017 Third IEEE International Conference on Research in Computational Intelligence and Communication Networks (ICRCICN) on November 3-5, 2017 at Kolkata,
https://conferencealerts.com/show-event?id=188011

International Conference on Multidisciplinary Research & Practice in Mechanical, Material Science, Structural, Automotive, Aerospace and Nano-technology (MANT-2017) on November 4, 2017 at New Delhi
https://conferencealerts.com/show-event?id=191898

International Conference on Recent Advances and Applications in Computer Engineering on November 23-25, 2017 at Jaipur,
https://conferencealerts.com/show-event?id=186163

https://conferencealerts.com/show-event?id=191269
Academic Life before, at, and after IISc
Some Reminiscences

Y.V. Venkatesh

Before going up to IISc in 1963, I spent perhaps the most enlightening time in Sarada Vilas High School, Mysore, where I found myself in the challenging, but refreshing, company of students who, in stark contrast with me, came from special private schools meant for the society’s elite in those halcyon days of royal Mysore. It is impossible to convey the pain I now experience over the palpable loss of Mysore’s grandeur, a grandeur originally attributed to the royal family. Before I landed in the only engineering college of Mysore, I passed through the portals of Sarada Vilas College (for the Pre-University program). My greatest teacher in high school and college was my father who had been educated in England (Manchester).

The undergraduate engineering program (with specialization in Electrical Engineering) was nightmarish, bordering on veritable wilderness. But this period became, by and large, bearable, thanks mainly to the Government of India’s renewed Merit Scholarship, which had been first granted to me in high school earlier and continued in Sarada Vilas College, too. If only to give a glimpse into the uneasy (to me) atmosphere prevailing in the engineering college, I cannot resist mentioning just one event, an apparently traditional one — a farewell party — that took place at the end of a year. The then-head of a department (whose only expertise consisted of reproducing or, rather, regurgitating verbatim, material from a standard book) remarked maliciously and out of context that I was “earning while learning”, as though his finances were being drained, and seemed to grin with satisfaction over his choice of phrase. I hasten to add that such an insensitive and deeply hurtful utterance by the head of a department in a college was not endemic to an undergraduate institution. Fast forward, something similar, and of a more serious nature, was typical of events in an established, higher place of learning, too.¹ One may dismiss such events as inconsequential,² but they aren’t.

1 Arrival at the Indian Institute of Science

I was exuberantly relieved in May/June 1963 when I learned that I had qualified for the award of the Bowen Memorial Prize of the University of Mysore. Soon thereafter, I “arrived” at the Institute of Science, Bangalore to find myself in an atmosphere of intoxicating delight, and I revelled in it. The companionship was stimulating, and a few teachers (especially in Mathematics) were masters of their fields of activity with an uncanny ability to provoke thought while eliciting fun out of solving even standard problems on the blackboard with no notes in hand (unlike in the engineering college that, as I now strongly feel, I managed somehow to come out of).

My research baptism at the Institute was presided over by Professor B. L. Deekshatulu under whom I wrote up a couple of papers on the analysis of linear, finite dimensional systems with (i)

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¹ See item (1) in the section “Notes” at the end of the article.
² In my view, they do affect the idealistic view a sensitive mind conceives of a justifiably revered research haven.
a time delay, and (ii) time-varying parameters. As far as the first topic is concerned, the only accessible material at that time (in the library of the Institute) amounted to (a) the approximate results of N. Minorsky (gleaned from his voluminous, but classic, book on nonlinear oscillations); and (b) R. Bellman and R. Cooke's treatise (on differential-difference equations). The latter, with its theorems on existence and uniqueness conditions, was indeed terrifying, trained as I was in applied (or, rather, engineering) mathematics (where very little is taught in terms of existence and uniqueness of solutions to differential equations and their relevance to research investigations). In fact, in the mathematics classes (even in the Institute) at that time, no reference had been made to, for instance, E. Coddington and N. Levinson's standard book. And, it also should be added, there had been no formal course on real analysis as such in the Institute. (In fact, the instructors were literally from the Department of Applied Mathematics, as there was no separate Department of Pure Mathematics.) Be that as it may, I came out with a new, non-standard expansion technique to obtain a recursive solution to a linear differential-difference equation with a small parameter, and demonstrated its practical usefulness by hand-computation using an old cranking mechanical calculator installed in the corner of a big room occupied by Professor BLD. (It is to be noted that the nearest access point to a computer was TIFR Bombay, and programming that computer was far beyond my field of view.) The paper with the proposed expansion appeared in an international journal. 

1.1 Feedback System Stability
Disenchanting as I was with the preliminary work on linear time-varying system analysis which was, much to my surprise, but rather alloyed excitement, duly published in some international journals, I turned to a more topical and challenging problem which concerned the stability analysis of feedback systems with a linear time-invariant forward block and linear/nonlinear time-invariant/time-varying gain in feedback. Partial post factum motivation arose from the intriguing behaviour of a solution of a linear second-order differential equation with a periodic coefficient having two parameters, \( a \) and \( f \), viz. the Mathieu equation,

\[
\frac{d^2 x}{dt^2} + (a + f \cos 2t)x(t) = 0, \quad t \in [0, \pi] ; \quad a > 0, f > 0.
\]

This equation has been known for a long time, and a remarkable monograph [1], which is entirely devoted to it, contains \( f \)-vs-\( a \) graphs of stability-instability boundaries, obtained from series expansions (in terms of the so-called Mathieu functions). In effect, McLachlan employs a quantitative approach to stability/instability, as against the current trend of qualitative methods which have been developed mainly for the stability analysis of higher-order and more general, including nonlinear, systems. It is known that these McLachlan-graphs can be employed as a benchmark in the analysis. 

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3In retrospect, the results for the latter are inconsequential, while those for the former are inadequate, incomplete and unsatisfactory.

4Many years later, I saw its review, in a review journal, by, if I remember correctly, R. E. Kalman who very rightly criticised its numerical results.

5Many single-input-single-output (SISO) systems can be cast into this form, at least as an approximation; others, into a multi-input-multi-output (MIMO) form with the same feedback structure. The latter's stability conditions became the subject of my interest later.

6See references at the end of the article.

7See below for an outline of the more general problems.
of, for instance, the stability of oscillations in nonlinear systems by suitable approximation techniques. Moreover, there are physical systems (like the parametric amplifiers) which are inherently time-varying and periodic, too.

An extraordinary property of Eqn. (1) is that whatever general techniques (of which the direct method of Lyapunov, in its original form or appropriately generalized, is one) have been developed to arrive at stability conditions for second- and higher-order linear (and nonlinear) time-varying systems cannot, when applied to Eqn. (1), reproduce those (for want of a better expression) McLachlan stability-instability boundaries. It is helpful to note here that Eqn. (1) can be recast in such a form that it describes the behaviour of a feedback system with a (linear) time-invariant-block in the forward path and the time-varying gain \((a + j \beta \cos 2t)\) in feedback. A minor generalization of this leads first to an arbitrary time-varying gain, \(k(t) > c > 0\), \(t \in [0, \infty)\), in feedback.

Stage-by-stage further generalizations of Eqn. (1) lead us to the following systems: (a) a feedback gain whose output is \(k(t)p(x)\), where \(<c(\cdot)\) is the first-and-third-quadrant nonlinearity (satisfying certain assumptions); and with the same feedback gain \(k(t) > c > 0\), \(t \in [0, \infty)\), (b) a higher-order (i.e., \(\geq 2\)) finite-dimensional (time-invariant) linear forward block having the rational transfer function \(G(s)\); and (c) an infinite-dimensional (time-invariant) linear forward block (representing, for instance, distributed-parameter systems) having, in general, not necessarily rational transfer function \(G(s)\). It is interesting to note that, even for the above case (a), stability-instability boundaries (extending those found in [1]) are not known. Paradoxically, while many stability results\(^9\) are known for Cases (b) and (c) using Lyapunov or other frequency-domain-based methods (of which Popov's [2] is the most original) or even Zames's positive-operator theory [3], none of them can, in the (limiting or) special case\(^1\) of Eqn. (1), lead anywhere close to the stability boundaries found in [1].

For general systems mentioned in cases (b) and (c) above, when we replace the nonlinear time-varying feedback gain by merely a linear constant gain, the frequency-domain stability conditions, which are necessary and sufficient, are attributed to Nyquist, and, as is well known, these conditions are, for finite-dimensional systems, equivalent to those that can be obtained from the Routh-Hurwitz criterion. What is, however, not immediately apparent is that the Nyquist criterion, for both finite- and infinite-dimensional systems, can be cast in terms of a multiplier-function, \(Z(j\omega)\) in the frequency domain: The system corresponding to cases (b) and (c) above, but with a constant feedback gain \(K \in [0, K]\), is asymptotically stable, if there exists a frequency function, \(Z(j\omega)\) such that \(-\pi/2 < \arg(Z(j\omega)) < \pi/2\) and \(-\pi/2 < \arg(Z(j\omega)/G(j\omega) + \cdots)) < \pi/2\), where "arg" denotes "the phase angle of". Alternatively, \(|\text{RZ}(j\omega)| > 0\), and \(|\text{RZ}(j\omega)/G(j\omega) + \cdots)| > 0\), \(\omega \in (-\infty, \infty)\), where "|R" denotes "the real part of". One of the goals is to derive stability criteria for (linear and) nonlinear (time-invariant and) time-varying gain feedback systems that reduce to the benchmark Nyquist criterion when the feedback gain is linear and constant.

An important result attributed to many researchers is the circle criterion: A nonlinear time-varying feedback system is stable\(^12\) if the multiplier function \(Z(j\omega)\) is simply unity, i.e., \(-\pi/2 < \arg(Z(j\omega)) < \pi/2\).
\[ \arg(G^*(ju) + \alpha) < n/2, \ u \in (-\alpha, \alpha). \] For simplicity, we set in what follows \( K = \alpha \). By simple transformation, the results stated for \( K = \alpha \) can be reduced to those meant for a finite \( K \) by replacing \( G(ju) \) by \( G(ju) + \alpha \), and feedback gain by an equivalent gain after an appropriate transformation.

Perhaps the most beautiful result for nonlinear time-invariant feedback gain systems, with a first-and-third quadrant non-monotone nonlinearity in the feedback path, is the celebrated criterion of Popov [2]: \( \Re(1 + juG(ju)) > 0, 0 < u < \alpha \), where \( \alpha > 0 \) is a constant. A vast number of stability results have appeared over close to twenty-and-odd years post-Popov in the form of considering monotone and other subclasses of nonlinearities in exchange for weakening the restrictions on the phase angle behaviour of \( G(ju) \). With this brief background, it is time to present my main contributions as applied to the stability/instability analyses of (linear and) nonlinear time-varying feedback gain systems.

The first major (and early) result [4] for the exponential stability of linear time-varying feedback gain systems was obtained in an extended Lyapunov framework by solving a differential inequality (in the manner of C. Corduneanu) and reads as follows: If the linear time-invariant feedback gain system obeys the standard Nyquist criterion with an effective damping factor, and the integral average of the positive lobes of \( \frac{d(f)}{k(t)} \), represented by \( 9^+(t) \), is bounded for all finite time, but its asymptotic limit (i.e., as the interval of integration tends to \( \alpha \)) is bounded from the above by \( 2f \), then the system is exponentially stable.

Similar results have been obtained for the exponential stability of finite-dimensional nonlinear time-varying feedback systems (i.e., Case (b) above), with non-monotone and monotone nonlinearities, in the extended Lyapunov framework and once again by solving a differential inequality. However, the most general early result [5] for the \( L_2 \)-stability of nonlinear time-varying feedback gain systems (i.e., Case (b)) with a monotone nonlinearity was obtained by an amalgamation of Zames's positive theory and Popov's Fourier transform-based framework. The multiplier function, which is a general causal + anticausal function, is due to O'Shea [6], and Zames and Falb [7]. The novelty of the stability criterion is three-fold: (i) The inverse Fourier transform of the multiplier function needs to satisfy an exponentially weighted integral inequality, with \( \beta \) as the exponent for the anticausal function, and \( \xi \) as the exponent for the causal function. The exponent \( \xi \) determines the global (as \( t^{2\alpha} \)) lower bound on the integral average of the negative lobes of \( 9(t) \) (the latter being represented by \( 9^-(t) \)), and the exponent \( \xi \), the global (as \( t^{2\alpha} \)) upper bound on the integral average of \( 9^+(t) \). The finite-time averages of the integrals of \( 9^-(t) \) and \( 9^+(t) \) need merely to be bounded. (ii) We can trade \( \xi \) with \( \beta \). (iii) If we choose \( \xi = \beta \), then, for odd-monotone nonlinearities, there is no restriction on \( 9(t) \), which implies that the stability criterion is effectively the circle-criterion for odd-monotone nonlinearities, but with a general multiplier function subjected to a constraint on the weighted integral of the inverse transform of the multiplier function.

No such results are known in a Lyapunov framework (as applied to finite-dimensional systems), which also seems to imply that no counterparts of the Kalman-Popov-Yakubovich lemma [8, 2, 9] for

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13This is the class N. We write for simplicity \( y(\xi \in N) \).

14For brevity, this is called hereafter the OZF multiplier function in honor of its originators.
general multiplier functions have been established. Even if one succeeds in discovering such a counterpart, its utility seems only to be non-stability domains, involving mere applications of the putative generalizations of the so-called linear matrix inequalities (LMIs). More explicitly, a counterpart may not lead to any superior or new stability conditions for the problem under consideration.

The most recent result [10], while being a significant improvement over [4] but not entirely resolving the necessity-and-sufficiency conundrum of the Popov theorem, is the first ever result for the Testability of a nonlinear single-input-single-output (SISO) feedback system, described by an integral equation and with the forward block transfer function $G(j\omega)$ and a first-and-third quadrant (i.e., to repeat, class N, non-monotonic) nonlinearity in the feedback path, $bu$ employing the OZF multiplier function.\(^\text{15}\) In this sense, it is an improvement over the Popov theorem\(^\text{16}\), and is, interestingly enough, a veritable climax of my earlier results to be outlined below for the sake of completeness.

More explicitly, the improvement consists in the employment of the OZF multiplier function whose time-domain Li-norm is constrained by certain characteristic parameters (CPs) of the nonlinearity obtained from certain novel algebraic inequalities. If the nonlinearity is monotone or belongs to any prescribed subclass of N, its CPs are reduced, thereby relaxing the time-domain constraint on the multiplier. An important special feature of the new stability results is a partial bridging of the significant gap between the Popov criterion and the stability results that appeared post-Popov in the form of considering monotone and other subclasses of nonlinearities in exchange for weakening the restrictions on the phase angle behaviour of $G(j\omega)$. Extensions to time-varying nonlinearities more general than those in the literature are also presented. The background and motivation for such a surprising result merit some recounting of research efforts and interactions.

1.2 Background and Motivation for the Latest Result [10]

Early 1970, while in Moscow, I met the doyen of nonlinear stability analysis, Professor Mark Aizerman, at the then-called Institute for Automation and Telemechanics (now renamed as The Institute for Problems of Control), who is better known for his conjecture [11] than for his beautiful monograph [12]. The purpose of my visit to him was to discuss certain issues related to his junior colleague (or assistant or whatever was appropriate in those days), Dr. E. C. Pyatnitskii, whose paper on the absolute stability of nonlinear time-varying systems had just then appeared.\(^\text{17}\) After a brief exchange of pleasantries, Professor Aizerman declared (in Russian) that research in stability analysis, according to him, was “Ne modna”, which means not fashionable.\(^\text{18}\) He had by then already migrated to path-breaking work on pattern recognition in which he is known for the potential function method (the “kernel trick”).

Now fast forward to the year 2004 when I found myself in the National University of Singapore (NUS) where, among other things, I started interactions with the active group on control. In course of time, while participating in seminars (on control) at the NUS, given by visiting researchers

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\(^{15}\)Note the striking contrast with the Popov multiplier function $(1+j\omega)$ already mentioned above.

\(^{16}\)A possible generalization of the Popov theorem on the lines of the results of [10], i.e., with $<\mathcal{E}(\tau)G\mathcal{N}$, but with no characteristic parameters of the nonlinearities entering the time-domain constraint on the multiplier function, has been conjectured in the same reference. Another conjecture made in [10] is a similar generalization of the results of [5].

\(^{17}\)See item (3) in Notes at the end of this article.

\(^{18}\)See item (4) in Notes at the end of the article.
(mostly from the US), I presented (during the discussion period) some unresolved stability (and stability-related) problems, including certain results which I had discovered to be faulty.\(^{19}\) By and by, discussions with the research group on control led gradually to the derivation of new \(\wedge\)-stability conditions for (odd-monotonic) nonlinear periodic-coefficient (i) single-input-single-output (SISO) [13]; and (ii) multi-input-and-multi-output (MIMO) [14] systems. The former paper is a consolidation and detailed computational verification of [15]; and the latter, which entails the solution of certain novel matrix-algebraic time-varying linear and nonlinear inequalities, constitutes a significant improvement over the results of the literature, by assuming no symmetrical time-varying feedback gain matrices, along with class \(N\) vector nonlinearities.

It has turned out that, for discrete-time linear and nonlinear time-varying feedback gain MIMO systems, the testability conditions are not mere \textit{discretized} versions of those for continuous-time MIMO systems presented in [9]: for instance, the generalized circle-criterion of the former has no counterpart in the latter. A striking byproduct is that when the results of discrete-time MIMO systems [10] are specialized to be applicable to discrete-time SISO systems, the \(\wedge\)-stability conditions significantly generalize those of [11], by, for instance, being applicable to non-monotonic nonlinearities with the OZF multiplier function, thereby surpassing all the earlier results of Tsyplin, Jury and Lee, O'Shea and others. For continuous-time systems, the paper [10], mentioned in the last subsection, is a culmination of recent efforts.

\textbf{Aberrations in the Derivation of Stability/Instability Results}

Lest one should lose sight of the forest for the trees, one needs to note that all the stability results have been obtained under the assumption (called for brevity \textbf{Assumption A1}) that the basic linear time-invariant system with feedback gain \(K \in [0, K]\) is asymptotically stable, as determined by applying the Nyquist criterion or the Routh-Hurwitz conditions. Under Assumption A1, I have established even \(L_p\)-stability conditions for linear and nonlinear time-varying feedback gain systems using the Riesz-Thorin interpolation theorem. However, all such the stability conditions are only sufficient. It is not known how to establish their necessity.

Analogously, most of the instability results of the literature invoke (in some form or the other) the method of contradiction to establish instability, but the end results turn out to be mostly either impotent or somewhat faulty [16]. The strange thing is that the derivation of instability conditions for linear and nonlinear time-varying feedback gain systems is as though inextricably bound up with the assumption (called for brevity \textbf{Assumption A2}) that the basic linear time-invariant system with feedback gain \(K \in [0, K]\) is unstable, as determined by applying the Nyquist criterion or the Routh-Hurwitz conditions. Set against such a background, I have developed a constructive method to establish instability conditions for linear and nonlinear time-varying feedback gain systems using a not-so-well known converse of the Cauchy-Schwartz inequality [17]. Further, invoking the converse Holder inequality, I have derived \(L_p\)-instability conditions for the same systems [18].

The unresolved problems beckoning to researchers are: (i) With Assumption A2 holding, replace the gain \(K\) by the time-varying function \(k(t) \in [0,K], t > 0\). Do there exist \textit{global constraints} on \(k(t)\) and/or its derivative to stabilize the system? (ii) Again, under the same assumption, suppose the gain \(K\) is now replaced by the time-varying nonlinear function \(<^\wedge(-)k(t),\) with \(<^\wedge(-)\in N; k(t)\in\)

\(^{19}\)See item (5) in Notes at the end of the article.
$[0, K), t > 0$; and $x|_{t=0} < 1$. What are the global constraints on $k(t)$ and/or its derivative to stabilize the system?

The corresponding counterparts for Assumption A1 are obtained from the last paragraph by substituting the word “destabilize” for “stabilize”.

2 Second Phase of Research at the Institute

The drastic change in my research interests was also inaugurated by Professor B. L. Deekshatulu who did not like my “getting lost in the unreal world of symbols”. He had returned from IBM Labs in the US in early 1972, with stimulating ideas related to image scanning and processing, as also applications of image processing to remote sensing of agricultural areas by aerial color infrared (CIR) photography. Possibly inspired by Professor P. R. Pisharoty’s work (in Kerala) on identifying coconut tree diseases from aerial photographs, and his own first-hand exposure to remote sensing experiments in Michigan which he visited during his US sojourn, Professor BLD managed to get financial support (around 1975/76) from (if I remember correctly) Space Applications Center (SAC), Ahmedabad — ISRO had not yet come into existence at that time in the present form — for aerial CIR imaging of sugarcane crops in Mandya (near Mysore) by mounting Hasselblad cameras (borrowed from SAC) on the Institute’s Pushpaka aircraft. There was, of course, a co-investigator from SAC, too. Since the color scanner needed for conversion of CIR images to digital format was not ready, we had to resort to manual interpretation of a large number of images.

In the middle (or so) of 1976, Professor BLD joined the National Remote Sensing Agency in Hyderabad. I was left alone to set up the Remote Sensing and Image Processing Laboratory, in which all the manual interpretation of the so-called Mandya Project CIR images (of sugarcane and paddy crops) was accomplished, along with the first attempts to develop an blue-green-red\textsuperscript{20} LED-based scanner. In the project funded by ISRO, we developed all the basic software (in Fortran) on HP 1000 (which had only 10 KB, yes 10 KB solid-state memory, and no tape drive\textsuperscript{21}), for image processing and pattern recognition (for resources estimates on a small scale). For any meaningful computational work, we had to reserve terminal time at the Computer Center which had a DEC machine, but no image display of raw and/or processed image data was possible. This necessitated the development of our own color image display using the Conrac monitor which I had managed to procure after more than a year of struggle with the formalities of ‘clearances’.

All such formalities had been successfully completed for the purchase of a Printronix dot-matrix printer (which was originally meant for a planned PDP 11/34, instead of the HP 1000\textsuperscript{22}). It was felt unwise to cancel its shipment from the US, fearing loss of time (and hence a possible refund of the sanctioned money to ISRO). Once the printer arrived, we had to develop appropriate interface (driver-software) between HP 1000 and Printronix.\textsuperscript{23} In all these ground-breaking activities, the crucial contributors were Mr. Animesh Mukherjee (who had registered for an M. Sc. (Res) degree) and Mr. William Raymond.\textsuperscript{24} I cannot adequately praise their whole-hearted devotion and achievements. The

\textsuperscript{20} See item (6) in Notes at the end of the article.

\textsuperscript{21} This was because the Electronic Commission limit for Institute’s purchases, Rs 5 lakhs, without the so-called ‘global tender’ to be floated and decided on by the Government itself.

\textsuperscript{22} This computer had no built-in interface for Printronix.

\textsuperscript{23} The HP representative in Bangalore showed interest in ‘buying’ our Printronix driver software for HP.

\textsuperscript{24} See item (6) in Notes at the end of the article.
Computer Vision and Artificial Laboratory (along with its subsidiary, Remote Sensing Laboratory) that came up in course of time owed — yes, it is past tense — its existence primarily to them. And this place of my work in the Institute was literally my sanctuary until 2004.

2.1 The Subjective World of Image Processing

Any serious and thoughtful researcher will find that most of the literature in image processing contains purely *ad hoc* methods, with the number of papers on, for instance, edge detection running to thousands. In the laboratory we did implement quite a few of them, and always disagreed on how useful they are in the context of classification of, for instance, remotely sensed data. In fact, it would be quite relevant to know what an edge is. Is a ‘mathematical edge’ (as found in various books) applicable to what we, as humans, perceive something in an image as an edge? Is the much-harped-upon edge detection an end itself, implying thereby that we do not need to do anything else to an image in order to extract information from an image? In my view, no! I am sure this could stir up an acrimonious debate among researchers still trying to write up yet another paper on edge detection, as Professor Azriel Rosenfeld would declare.

Professor David Marr, the author of the remarkable and influential book, *Vision*, was perhaps the first to attempt modeling the human visual mechanism for detecting boundaries among various objects in the image of a scene as cast upon the retina. Inspired apparently by the seminal work done by the Nobel Laureates, Professor David Hubel and Professor T. N. Wiesel, on the visual mechanisms of a mammalian visual system, and guided by the empirical findings on the bandpass characteristics of the (mammalian) visual system as obtained from *flashing* suitably calibrated bar-like patterns to it, Professor Marr proposed the existence of detectors of extremal points of gradients of intensity changes (in the visual scene) in the outputs of three/four bandpass channels, which were, in turn, obtained by using Gaussian filters with appropriately chosen variance parameters (to achieve a spread of an octave for each channel and partially overlapping with each other). He called them zero-crossing detectors. In effect, the human visual cortex stores the visual scene in the form of boundaries of objects in the scene, and is able to recall the scene, as it were, in our imagination, just on the basis of those boundaries. After all, the number of neurons in the human brain is limited, and the brain cannot possibly store all the information in a scene.

Now comes the mathematical problem (*Problem 1*): Is it possible to construct an image of a scene using merely these multi-channel of octave-width (or otherwise) zero-crossing points (which when theoretically assembled are supposed to give us contours of objects in the scene)?

Another, equally important problem (*Problem 2*) is this: Assuming that the boundaries of objects contain all the required information available from a scene, how can we automatically recognize the objects in the scene?

Noting that humans have been endowed with two eyes that facilitate depth perception, a related problem (*Problem 3*) is to automatically estimate a scene’s depth information from the stereoscopic pair of images of the scene by extracting the boundaries of objects from each image of the pair.

The above three mathematical problems acted as some sort of guideposts for work in the laboratory.

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25The assumption is that boundaries of objects are more reliable sources of information than the (raw) gray/color intensities of the images of the scene. This is because images are naturally affected by noise, but boundary detection operators are supposed to be less susceptible to noise.
The extensive work that is presently being done all over the world in image processing, vision and pattern recognition is an indication that no simple account can be presented here so as to convince a reader of the complexity of the problems under consideration and subjectivity surrounding each result. Note that there is absolutely no chance of mathematical purity and clarity of the type found, for instance, in the first part of this article. Moreover, any major description of the work I did (or was involved in) first in the Institute until 2004-05, and second, outside Bangalore subsequently, would require a veritable treatise which is not in order here. Therefore, only a bird's eye-view is provided below to give a glimpse of some contributions.

- Problem 1. By decomposing an image to scanned lines, I developed a new framework consisting of generalized Hermite polynomials, and dispensed with the standard, but unrealistic, assumption of bandlimitedness of (spatial) signals. The motivation came from Siepian’s paper [19] in which he has introduced the concept of “effective time-spread” and “effective frequency-spread” for functions of time. This translates to corresponding spreads in the space-frequency domain for images. By exploiting the special properties of Hermite polynomials, it is shown [20] that a unique reconstruction (except for scale factor) of a scanline is possible from its (real) zero-crossings, \(^{26}\) given its space-bandwidth product or space-bandwidth ratio. Extension to images (considered as stacks of scanlines) involves space-bandwidth products or ratios (including cross-space-bandwidth products/quotients) in two dimensions [21]. The same framework can be used to reconstruct signals from other types of partial information of the type (i) Fourier phase only; and (ii) Fourier magnitude only. For an entirely different approach, involving the concept of a regularized solution for the reconstruction of images from points given arbitrarily near boundaries and gradient information at these points, see [22].

Problem moving forward to the post-2004 period at the NUS (Singapore), during discussions (with the signal processing group) on compressive sampling — a very fashionable topic these days — I came across a more striking problem of reconstruction of assumed sparse digital (sampled in time, for instance) signals \(^{27}\), from partial information sampled from, say, its Fourier transform. During some preliminary studies on this challenging topic, I happened to across a paper in which the so-called Gini-index (which originated in economics) was being used to characterize sparsity. Invoking such a definition and using the (discrete) \(\ell_q\)-norm (with \(0 < q < 1\)) along with simultaneous perturbation stochastic optimization (SPSO), we came out with a more efficient and more accurate reconstruction algorithm [23]. Note that this has no counterpart in the modelling of human visual system because it seems most unlikely that the human brain stores compressive samples of images of scenes for reconstruction during recall.

- Problem 2. We first explored many algorithms of the literature on two-dimensional (unoccluding) pattern detection and recognition. The process involved extraction of boundaries.

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\(^{26}\) What are complex zero-crossings as applied to an image? Assuming that the zero-crossings in an image are obtained as maximal/minimal gradient points of a Gaussian-filtered — to simulate multiple (octave-width?) bandpass channels of the human visual system — image, how does one label them as real and complex zero-crossing points, if any? These are questions which seem to be still in need of clarification.

\(^{27}\) Sparsity is normally expressed in terms of the number of elements in the signal having either zero magnitude or negligibly small amplitudes.
which were most of the time broken, thanks to the inevitable use of thresholds at various stages of processing. We did invoke ingenious tricks suggested by a few authors (incl. Azriel Rosenfeld) to 'close' the broken boundaries, and then employed strategies (like relaxation labeling) to segment the image. None of these were satisfactory in our preliminary goal of detecting even a card-board cube in a synthetic lab scene. To cut the story short, disenchantment led to my foray into an application of artificial neural networks, and, in particular, the multilayer perceptron (MLP).

The first major study was an attempt to implement Fukushima's Neocognitron, a neural network to recognize characters. After a significant number of experiments with it to identify English alphabet and numerals, we found it to be unsatisfactory. This is the origin of our paper [24] which presents a modification of the Neocognitron.

The standard MLP treats a two-dimensional pattern as a stacked 1-D vector, and hence two similar patterns shifted by even one-pixel are regarded as two different patterns. For the same reason, invariance to scale and distortion cannot be achieved satisfactorily. Inspired by the retinal structure of the human visual system, we were motivated to develop a radial encoding of two-dimensional patterns which was successfully used to recognize patterns of non-overlapping characters. The first step was to generate synthetically a large number of patterns of each of the characters subjected to distortions (within limits) in scale and rotation, and also affected by controlled amounts of noise. These patterns were then fed to Kohonen's self-organizing neural network (SONN) by way of checking the possibility of finding clusters (in feature space) for the characters. Excited by the output of the SONN, we developed some efficient algorithms not only to recognize characters and numerals, but, with some novel modifications depending on the applications, to boundary/contour extraction, face detection and recognition, multispectral data classification, among others [25, 26, 27, 28, 29, 30, 31, 32, 33, 34, 35].

Lest one should get the impression that the problem of face (detection and) recognition from images has been resolved satisfactorily in the ever-growing literature, it may be startling, but advisable, to note here that none of the algorithms reach the remarkable efficiency and accuracy of the (trained, wherever required) human visual system. The same is true of the classification of human facial emotions from images. Even with three-dimensional facial data, success with recognition of faces and their emotions has not been satisfactory.

Application of neural networks to three-dimensional face recognition is quite a complex issue, apart from the fact that a huge database needs to be created and processed. While processing a publicly available three-dimensional database (of limited size) of human faces, it was found that the data points were irregular samples, and were not amenable to direct analysis for face (and facial expression, as one of eight basic emotions) recognition. After applying a data resampling strategy, we have developed a modified form of principal component analysis to recognize (three-dimensional) faces and their expressions [36, 37] with an accuracy better than what is reported in the literature. The fact is that the same approach (after all the necessary modifications or changes) gives highly unsatisfactory results on other databases. A universal solution to the problem of face (and facial expression) recognition, independent of the origin of the datasets, is most unlikely anytime soon.

* Problem 3. It is known that stereoscopic image analysis deals with the reconstruction of
a three-dimensional physical scene (containing objects of interest) from at least a pair or, as is currently the practice, multiple images of the scene captured from different locations. Most of the literature contains (area-based, feature-based, diffusion-based, Bayesian and the like) algorithms for matching corresponding points in the images under the assumption of epipolar geometry,\(^{28}\) the points being the projections of the same scene point on the images. Assuming that the geometry of image acquisition is given, the map of matched points can be used to compute the depth information in the scene. When applied to calibrated scenes, these algorithms have been found to be generally unsatisfactory. Even artificial neural networks have been tried out.

Motivated by the self-organizing (i.e., so-called unsupervised) model proposed by Kohonen to imitate perceptual mechanisms of the human brain, we employed a modified self-organizing network to match the corresponding points in a stereo-pair of images. Quite distinct from the existing algorithms which, typically, involve area- and/or feature-matching, the network is first initialized to the right image, and then deformed until it is transformed into the left image, or vice versa, this deformation itself being the measure of disparity. This novel approach, which dispenses with the standard assumption of epipolar geometry, has been successfully tested on synthetic and natural (including random-dot stereograms and wire frames) and distorted stereo-pairs [38]. Such an application of the principle of self-organization to extract depth information in a scene from stereo-pairs of images seems to be the first of its kind.

- Other Research Contributions: Apart from the above, additional work was done in the laboratory on certain aspects of image representation (quadtrees), optical flow, image fusion and modeling the human visual system. These topics do not, in general, relate to what was presented above as three basic problems. Since it would take a significant amount of space to describe these contributions, I thought it advisable to merely list them as [39, 40, 41, 42, 43, 44], while hoping that their titles give an idea of their contents.

I wish to end my article with a reference to Turing’s much-debated paper (1950) [45] with the title, Can a machine think?

As is well known, lots of issues engendered by an interpretation of Turing’s question have not yet been settled satisfactorily. In 1950, Turing declared: “I believe that in about fifty years’ time it will be possible to programme computers, with a storage capacity of about 10\(^6\), to make them play the imitation game so well that an average interrogator will not have more than 70 percent chance of making the right identification after five minutes of questioning. I believe that at the end of the century the use of words and general educated opinion will have altered so much that one will be able to speak of machines thinking without expecting to be contradicted.” Many mathematicians and philosophers are of the opinion that his claim has been shown to be mistaken. See, for instance, [46, 47].

With the above formidable history related to thinking machines, can we venture to ask for a machine that can “see”? Or, is it the case that thinking and seeing are analogous processes. If a machine can think, can it also see, provided it is subjected to appropriate inputs? Answers to

\(^{28}\) A assumption of epipolar geometry implies that the corresponding points lie on the same scanline in the stereo-pair under consideration.
these questions could hopefully trigger a stimulating debate among those interested in classical-vs-modern-AI (artificial intelligence) controversy. As a first step to grapple with the imbroglio, what tests, involving the use of cameras and computers, are to be designed to set goals for the realization of a possible vision-machine? Are there arguments analogous to, for instance, Searle’s *Chinese Room* [46] as fundamental objections to the very concept of a vision-machine?

### 3 Epilogue

I wish to place on record my deep gratitude to my teacher, mentor and father-figure, Professor BLU, for his ever-benevolent association with me all these years, and to Professor M. A. L. Thathachar, my former teacher and later colleague, for his crucial role and providential help rendered in the early stages of my work in stability analysis.

While I consider the life I spent at the Institute to be the most glorious and occasionally ecstatic and I would be willing to live it once again if there were an opportunity, I cannot but end these reminiscences without quoting William Blake’s poem, *The Defiled Sanctuary*:

I saw a Chapel all of gold
That none did dare to enter in,
And many weeping stood without,
Weeping mourning, worshipping.
I saw a Serpent rise between
The white pillars of the door,
And he forc’d and forc’d and forc’d;
Down the golden hinges tore,
And along the pavement sweet,
Set with pearls and rubies bright,
All his shining length he drew,
Till upon the altar white
Vomiting his poison out On the
Bread and on the Wine.
So I turned into a sty,
And laid me down among the swine.

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**Notes**

1. There entered, in the early 1970s, a new, foreign import to the Indian Institute of Science (IISc), at the level of the highest academic position. This event was a very precious fruit of the efforts of a special committee set up in the late 1960’s which literally scoured the world, interviewing candidates with the goal of bringing in “specialists from abroad”, to ostensibly
“avoid inbreeding” and, at the same time, earnestly hoping that frontier research work would be launched by them at the Institute. This person of significance (with apologies to Nikoloi Gogol, the Russian novelist), soon after coming over to the Institute from a place not exactly on the map of distinguished places of higher learning, began his activities by forcing himself on junior members of faculty who were teaching graduate courses, and sat in some of the classes — much to their chagrin and disgust — as though to grade them. He used to pass unsolicited judgement on their teaching standards. In one such case, in fact, when he felt his blatant claim as the sole authority on a certain course-subject was in question, he wrested the “custody”, as it were, of that course, wagged his first finger (as teachers used to do in middle school in those days) at the hapless instructor, and verbally threatened him with dire consequences on his promotion.

There were other unpleasant events associated with the same person. Once, in his seminar, which was widely announced, he wrote on the blackboard some mathematical expressions. A mathematician of high caliber in the audience was bold enough in bringing to the speaker's attention inaccuracies in those expressions. The speaker's fury stunned the audience, especially when he shot back: “Have you worked on the problem?”

2. I have recently discovered that a much-quoted and beautiful stability result of Lyapunov [48] when applied to Eqn. (1) does not seem to exhibit the set of stability regions in the \( a \text{-} \text{vs} \text{-} 0 \) graphs of [1]. More simply, there are \((a, P)\) values inside the McLachlan stability boundaries which do not obey the Lyapunov condition for stability. I wish to add, however, that I am yet to access M. G. Krein’s (Russia) papers (on the type of differential equation considered by Lyapunov [48]), and collected in AMS Translations, which are supposed to be an improvement over Lyapunov’s result.

3. I was told about this paper by another well known researcher (from the same Institute), Professor Ya. Z. Tsypkin, the author of a book on adaptive control, as also of a paper in Doklady Academii Nauk SSR (around 1965 or so) on the extension of the Popov theorem to discrete-time nonlinear time-invariant feedback gain systems. (This paper will figure in later in the article.) I used to have regular meetings with him in Moscow either before or after his lectures on learning systems. Once he gushed with pride to tell me that Dr. Pyatniskii had applied Pontryagin’s maximum principle to solve a stability problem. When I responded by pointing out that Professor Roger W. Brockett had already done (or rather attempted) it — see item (5) below — in 1964, he was unimpressed.

4. For the sake of completeness, I wish to add, however, that at the end of those discussions on the Pyatniskii resolves in disagreement. By the way, control as a discipline in India began the steep descent around this time. Except for some indirect references to control in power electronics and the like, there seems to be no visible research interest now in India in control theory and practice per se. Contrast it with what the Russians have done to Aizerman’s institute — they have christened it the Institute of Problems in Control.

5. The fact that it [49, 50] is a faulty result I discovered [51] in early 1975 when I was at the University of Karlsruhe, Karlsruhe (Germany), interacting with my German colleague, Dr. Gerhard Siffling, on the stability analysis of a discrete-time FSK oscillator. It is appropriate
to mention here that Brockett did not actually employ the Maximum Principle for the system governed by the linear second order differential equation, $df + 2d - k(t)X = 0$, where the time-varying gain $k(t) > 0, t \in [0, \infty)$. His technique, in fact, amounted to choosing $k(t)$ for $t > 0$, such that the phase-plane trajectory starting from, say $x(0) = 0$, $\lim_{t \to 0} = 2$, results in the limiting-case of a closed loop trajectory having the largest intercept on the $x-$ axis. In this context, it seems pertinent to pose the following problem related to a possible application of the Maximum Principle to the Mathieu equation whose stability/instability boundaries in terms of $a / b$ plots are known, as mentioned earlier: What is a typical performance criterion to be maximized in terms of parameters $a$ and $b$?

In this context, see [16] for other instances of faulty results, including the one in which what is to be proved is assumed. And, interestingly enough, this last faulty result is the one which has been extended, by a researcher, to Marcinkiewich space without even checking its correctness.

6. While in Germany in 1975, I had managed to contact the division of Siemens where blue and green LEDs were being manufactured for the first time. They were kind and generous enough to send me gratis a couple of their samples. Along with the Hewlett-Packard HEDS unit, the standard red LED and the blue and green Siemens LEDs were ingeniously assembled by my newly-acquired assistant, Mr. William Raymond (who had just a diploma in electronics) and mounted on the movable carriage of an old lathe in the department. The spindle of the lathe provided the rotary motion for a cylindrical drum on which a CIR image print could be stuck. And so was created the first solid-state scanner in India. We did succeed in scanning a couple of black-and-white and color images just to demonstrate the possibility of conversion of a hard copy color image to digital format.

There is a lot more of bumpy history associated with the handling of the LED scanner output which cannot be presented here. Thanks to the facetious remarks by some members of the project monitoring committee, no refinements of LED scanner for research purposes could be attempted. A typical remark was that it was simpler to buy an optronics scanner from the US or a laser scanner from France! That was a time when anything to be bought from abroad had to be cleared by the Electronics Commission. By the time any equipment arrived in India (which would have taken not less than two years), the model would be outdated, as it did in fact happen with respect to the Hewlett Packard computer HP1000 which required superhuman efforts just to get formally cleared by the various authorities of the Government. By the time the unit arrived at the Institute, the model (with an older technology disk drive that was very fragile) was already outdated. By the way, it was the first computer in the department and this was bought from ISRO project funds for image processing. Getting back to the story of the laser scanner imported by a Government agency, when that scanner stopped functioning, it could not be repaired for more than one year. We subsequently learned that the unit soon fell into disuse.

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E.C. Subbarao

I was born on 8th August, 1928 to a middle-class family. My parents had 4 sons and 2 daughters to raise and educate on my father’s low monthly salary. We all studied in Board High School, Nidadavol, West Godavari District, Andhra Pradesh. This village had no running water or electricity. I studied with a kerosene lamp. Our batch was the first to write the high school examination in our school, in 1944. There was a function held in our school in late 1944 with the Education Minister of undivided Madras state as the Chief Guest to award a medal to me for topping the pioneer batch in our school. Since all our siblings studied in that school, when I liquidated two plots of land we had in that village, I donated that money to build a set of classrooms, since the class rooms collapsed in a recent cyclone and the students were studying under trees. The classroom building was dedicated to the memory of my late parents, Eleswarapu Sriramamurthy and Eleswarapu Neelaveni.

For Intermediate (or PSU), I went to Government Arts College, Rajahmundry for two years. Some years ago, when this college celebrated its centenary, our Physics teacher contributed a chapter to the commemoration volume. That chapter covered 10 alumni of the College during the past 100 years who made outstanding contributions to India and he included me as one of those ten. The values of a family can move mountains even if money is limited.

COLLEGE

I joined the College of Technology at Banaras Hindu University (BHU) in 1946 and received a B.Sc Tech degree in Glass Technology in 1949. It was a memorable period of BHU, when the founder Pandit Madan Mohan Malaviya and the Vice-Chancellor Dr Sarvepalli Radhakrishnan were staying on the campus. In early 1947, all the national leaders including Pandit Jawaharlal Nehru, Mahatma Gandhi, Sardar Patel, Mauilana Abdul Kalam Azad, Sarojini Naidu, Jayaprakash Narayan among others, visited the campus and addressed the students. Dr. Radhakrishnan delivered Gita lectures every Sunday, attended by students and staff. On one occasion, he announced that there will be no Gita lecture next Sunday since he has been asked to speak to the nation at 1130 pm on 14th August 1947, just before Pandit Nehru gave his famous “Tryst with Destiny” lecture just before midnight when India became independent. On a later occasion, Dr. Radhakrishnan announced at a Gita lecture that he was reluctantly leaving the University because Pandit Nehru appointed him as the first Indian Ambassador to Russia. The intellectual ambiance created by luminaries leads the way to following in their footsteps to serve the nation.

As part of my engineering undergraduate education, I had spent summer and puja vacations in industrial training in Ogale Glass Works, Ogalewadi, Maharashtra and in Ganga Glass Works, Balawali, U.P. This was a valuable exposure to actual shop floor industrial operations, which unfortunately is no longer a required component of Indian engineering education.
Recently, by combining the Colleges of Engineering and Technology, BHU Indian Institute of Technology was created. Immediately, BHU IIT Global Alumni Association was formed. In its first meeting in June 2013, I was honored with an Award for Excellence in Research in a memorable function in Bangalore. This was 64 years after my graduation from BHU!

FIRST FACTORY JOB

My first job in 1949 was in the Parry Pottery works in Ranipet, Madras state with a starting monthly salary of Rs. 75 plus dearness allowance. I was on shift duty and was supervising from raw materials, processing, fabrication of pottery articles, drying, firing in a tunnel kiln and finally packing for dispatch. An engineer's education is not complete without exposure to these industrial practices, preferably in the early stage of his career. Since I wanted to go abroad for higher studies, I left this job in August 1951.

STUDIES IN USA

I got admission with an Assistantship at the University of Washington, Seattle, USA. I travelled by ship from India and joined the University in September 1951. Since my BHU degree was of 3 years duration, I studied for one year to earn a B.S degree in Ceramic Engineering and after another 15 months, received M.S Degree in Ceramic Engineering.

Soon after arrival, I entered a research paper competition and I won a prize and the paper (my first) was published. I won a prize in same competition in the following year, leading to my second publication. My professors were impressed with this, being the first for the department.

Professor James I. Mueller was my thesis guide and unforgettable mentor at the University of Washington and he enabled me to integrate with the American educational and social scene and to do my best.

I helped a consultant by carrying out the necessary experiments and it was a valuable experience in tackling real world problems, besides giving me a welcome income. An open mind to opportunities is needed to learn.

MY Ph.D.

As I was completing my M.S. degree, I applied to MIT and Pennsylvania State University (Penn State) for Ph.D. admission. Both admitted me and MIT gave a half time Assistantship ($128 per month) and Penn State gave a three quarter time assistantship ($192 per month). Since, I wanted my wife and daughter to join me from India, I accepted Penn State offer in spite of the greater reputation of MIT and joined there for my Ph.D. in January 1954 and my family joined me in December 1954.

I worked with Prof Hummel for a year and published two papers. Then I shifted to Prof. W. Buessem as my Ph.D. thesis guide and worked on "Domain Effects in Ferroelectric Barium Titanate Ceramics". Dr. Buessem was the Director of Siemens.

Research in Germany before and during the World War II. He joined Penn State as a Professor in early 1950's. I was his first Ph.D. student. I published two papers from my Ph.D. thesis, one in the U.S. and the other in German in Germany.

2
INDUSTRIAL RESEARCH

As I was completing my Ph.D. thesis, I applied to four major US companies for a research job. After interviewing, I was offered jobs by all the four. I evaluated them in terms of my priorities and finally accepted the one from Westinghouse Research Laboratories, Pittsburg, PA headed by Dr. Clarence Zener. I felt that Westinghouse offered better opportunities to learn and grow, though it paid the lowest starting salary of the four offers. I joined in November 1956 and worked mostly in two areas – Ferroelectrics and Solid Electrolytes for Fuel Cells. I came up with a family of Ferroelectrics with higher Curie temperatures than the 560° C which was the limit so far. This breakthrough attracted a lot of international attention. The work on Solid Electrolytes was of great relevance to Westinghouse since work on solid oxide fuel cells was being pursued actively at that time. With excellent mentoring available for me at Westinghouse, not only the quality and relevance of my research on industrially significant problems blossomed but also conveying my research results in the form of publications in reputed journals. In fact, my papers were getting accepted as submitted even in the best Journals.

DILEMMA AND RESOLUTION

Life is a perpetual motion machine. After establishing a successful research career, some things cropped up. We had two more children (a son and a daughter). My wife wanted to raise our children in India to become acquainted with life and relatives in India and that it should be done before they become too grown up to adjust easily. So, she wanted it to happen before end 1963 (when the children were 13, 5 and 4). At that point, Dr. P. K. Kelkar, Director of the newly established IIT visited Carnegie Institute of Technology and Westinghouse Research Laboratories in Pittsburg (the latter to get an idea of industry oriented research in the US). Dr. Zener wanted me to show Dr. Kelkar around our lab and then Dr. Kelkar impressed us with his vision of the kind of institution that he wants IIT K to be. On his return to Kanpur, he sent me an offer of an Associate Professorship and long letters about why he wants me and others like me to come and join and shape IIT K.

As a follow-up of my brief visit to India in 1960 when I delivered some lectures, I had attractive offers from some of the prominent labs in India. When Mr. Sethuraman of W.S Insulators Ltd, Chennai visited Westinghouse to finalize a collaboration, he met me and wanted me to join them because of my long association with Westinghouse.

Thus, I ended up with four offers in India. Again, by evaluating them using my priority criteria, I chose IIT Kanpur, though again it paid the lowest salary and I had no teaching experience. Again, I am glad that my criteria and choice were right.

Having decided to join IITK, I informed Westinghouse that I am leaving US to return to India. They pointed out that I am fully integrated and very productive in the US and that I will be lost in India. When I did not budge, they said, as a special case, they will give me one year’s leave, because they were sure that I will be back within 3 months. I thanked them, but added that I want to get there with both my feet and try my best to settle down. If things did not work out, I hope that either Westinghouse or some other organization in US will hire me. This obviously is due to my desire to serve the nation. Lo and behold, 54 years after 1963, I am still in India.

IIT KANPUR

I reported to Dr. Kelkar at 10 am on 3rd November 1963 to join. He was gracious and emphasized how happy he was about my joining IIT K. After discussing for 30 minutes, he went to a meeting,